

# Measurement of Muons from Heavy Flavor Decays in $pp$ Collisions at 14 TeV with the ALICE-Muon Spectrometer at the LHC

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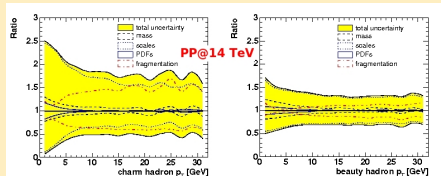
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# Motivations

## Testing NLO pQCD with Heavy Flavors



Large theoretical uncertainties come from,

- ① quark mass ( $m_Q$ ),
- ② parton density parametrisation (PDF),
- ③ fragmentation parameter,
- ④ perturbative uncertainty from scale variations.

$\sigma_{pp}^{HF}$  is the Baseline for  $\sigma_{AA/pA}^{HF}$

- ①  $\sigma_{pp}^{HF} / \sigma_{pA}^{HF}$ , (anti)-shadowing (gluon PDF in nucleus)
- ②  $\sigma_{pp}^{HF} / \sigma_{AA}^{HF}$ , energy loss (medium dissipative properties)

## Resonance Yields

- ① normalisation for  $\sigma^{J/\Psi}$  &  $\sigma^{\Upsilon}$  in pA and AA
- ② understanding  $N(B \rightarrow J/\Psi) / N(\text{direct } J/\Psi)$  via  $\sigma^B$

## Understanding Energy Loss Effects

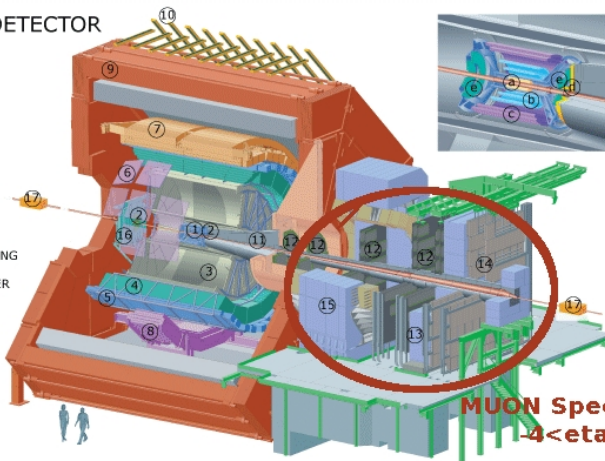
$$R_{AA}(p_t, \eta) = \frac{1}{\langle N_{coll} \rangle} \times \frac{d^2 N_{AA} / dp_t d\eta}{d^2 N_{pp} / dp_t d\eta}$$

- ①  $\frac{R_{AA}^D(p_t)}{R_{AA}^h(p_t)} \simeq \frac{4}{9}$ , color charge effect
- ②  $\frac{R_{AA}^B(p_t)}{R_{AA}^D(p_t)}$ , mass effect at high  $p_t$  region

# ALICE Detector Overview

## THE ALICE DETECTOR

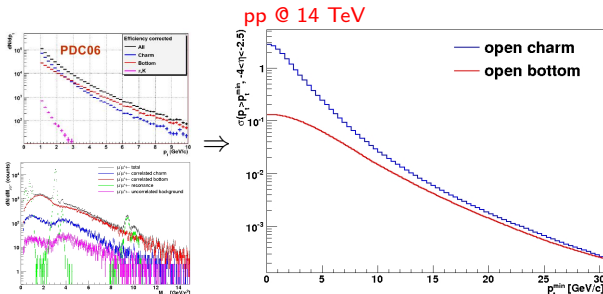
1. ITS
2. FMD , T0, V0
3. TPC
4. TRD
5. TOF
6. HMPID
7. EMCAL
8. PHOS CPV
9. MAGNET
10. ACORDE
11. ABSORBER
12. MUON TRACKING
13. MUON WALL
14. MUON TRIGGER
15. DIPOLE
16. PMD
17. ZDC



- a. ITS SPD Pixel
- b. ITS SDD Drift
- c. ITS SSD Strip
- d. V0 and T0
- e. FMD

**MUON Spectrometer**  
 $-4 < \eta < -2.5$

# Method



- ① Extract  $N_{\mu^\pm/\mu^-\mu^+\leftarrow B/D}$  from "data".
- ② Correct for integrated luminosity, detection efficiency and acceptance.
- ③ Correct for decay kine. ( $F_{MC}$  calculation).
- ④ Get differential integrated  $B$  &  $D$  hadron cross sections.

$$\begin{aligned}
 \sigma^{B/D}(p_t > p_t^{\min}, -4 < \eta < -2.5) &= \frac{N_{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(\Phi^{\mu^\pm/\mu^-\mu^+})}{\int L dt} \times \frac{1}{\epsilon} \times \left[ \frac{\sigma^{B/D}(p_t > p_t^{\min})}{\sigma^{B/D}(\Phi^{\mu^\pm/\mu^-\mu^+})} \right]_{MC} \\
 &= \frac{N_{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(\Phi^{\mu^\pm/\mu^-\mu^+})}{\int L dt} \times \frac{1}{\epsilon} \\
 &\times F_{\mu^\pm/\mu^-\mu^+\leftarrow B/D}^{MC}(\Phi^{\mu^\pm/\mu^-\mu^+}, p_t^{\min})
 \end{aligned}$$

\*  $\Phi^{\mu^\pm/\mu^-\mu^+}$  denotes a special kinematic phase space of  $\mu^\pm/\mu^-\mu^+$ .

# Input Data

## Data Properties

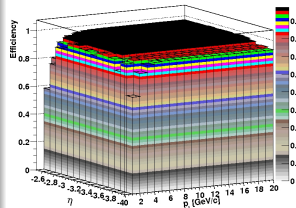
PDC06 (Physics Data Challenge 06) data are used.

single muons ( $\mu^\pm$ )

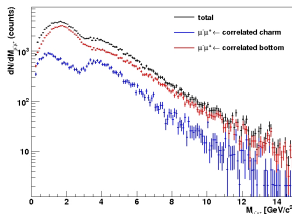
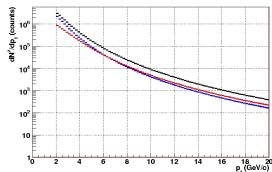
correlated un-like sign dimuons ( $\mu^- \mu^+$ )

- 1 single muon trigger (at least one muon in  $-4 < \eta < -2.5$  with  $p_t > 0.5$  GeV)
- 2  $7.8 \times 10^8$  single muon events
- 3  $2 \text{ GeV} < p_t < 10 \text{ GeV}$
- 4 extrapolate to  $2 \text{ GeV} < p_t < 20 \text{ GeV}$

- 1 dimuon trigger (at least two muons in  $-4 < \eta < -2.5$  with  $p_t > 0.5$  for each muon)
- 2  $2.5 \times 10^6$  correlated dimuon events
- 3  $1.5 \text{ GeV} < p_t < 18 \text{ GeV}$



- 1 Assuming the contribution of  $\mu^\pm / \mu^- \mu^+ \leftarrow \text{resonances}$  and un-correlated background are subtracted perfectly.
- 2  $p_t$  dis. of  $\mu^\pm$  and  $M_{\mu^- \mu^+}$  dis. of correlated  $\mu^- \mu^+$  are corrected by detection efficiency ( $p_t$  and  $\eta$  dependent).
- 3  $N_{\mu^\pm / \mu^- \mu^+ \leftarrow D}$  are corrected with factor  $11.2/5.67$  to satisfy HvQMNR calculations.



$\mu^\pm / \mu^- \mu^+ \leftarrow (J/\Psi, \rho \dots) \leftarrow Q$  are not considered.  
 Statistics corresponding to data taking scenario,  $L = 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$ ,  $t = 10^6 \text{ s}$ .  
 Fitting the total dis. of  $p_t$  (single muon) and  $M_{\mu^- \mu^+}$  (correlated  $\mu^- \mu^+$ ) to get the  $N_{\mu^\pm / \mu^- \mu^+ \leftarrow D/B}(\Phi \mu^\pm / \mu^- \mu^+)$ .

# Extraction of the $N^{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(\phi^{\mu^\pm/\mu^-\mu^+})$

## I. Fitting Formula

$$(T - B) \cdot (f_c + R \times f_b)$$

- $T$ , total number of  $\mu^\pm/\mu^-\mu^+\leftarrow\text{HF}$ .
- $B = N_{\mu^\pm/\mu^-\mu^+\leftarrow B}$ ,  $R = \frac{N_{\mu^\pm/\mu^-\mu^+\leftarrow B}}{N_{\mu^\pm/\mu^-\mu^+\leftarrow D}}$ .
- $f_c$  and  $f_b$  are the normalized shape functions.

## II. Shape Functions for $\mu^\pm p_t$ dist.

$$f_{c/b} = c \times \frac{1}{(1 + (p_t/a)^2)^b}$$

- both the  $\mu^\pm p_t$  dis. from charm and bottom use the same shape function
- $a$ ,  $b$  and  $c$  are free parameters

## III. Shape Functions for $M_{\mu^-\mu^+}$ dist.

$$f_c = p_0 \cdot \exp\left[-\frac{1}{2}\left(\frac{x - p_1}{p_2}\right)^2\right] + p_3 \cdot \exp\left[-\frac{1}{2}\left(\frac{x - p_4}{p_5}\right)^2\right] + p_6 \cdot \frac{1 + p_7 \cdot (x - p_8)}{[p_9^2 + (x - p_8)^2]^{p_{10}}}$$

$$f_b = p_0 \cdot \exp\left[-\frac{1}{2}\left(\frac{x - p_1}{p_2}\right)^2\right] + p_3 \left\{ \frac{1 + p_4 \cdot (x - p_5)}{[p_6^2 + (x - p_5)^2]^{p_7}} + p_8 \cdot \exp\left[-\frac{1}{2}\left(\frac{x - p_9}{p_{10}}\right)^2\right] \right\}$$

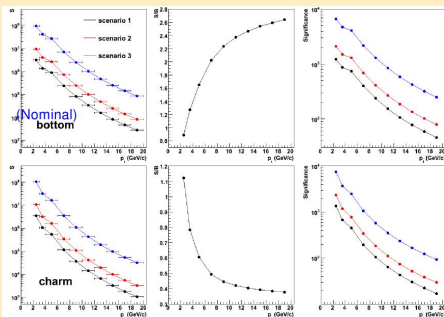
## IV. Extraction of the (di)muon Yield from $B$ & $D$ Hadron Decay

$$N_{\mu^\pm/\mu^-\mu^+\leftarrow B}^{(\Phi)=B \cdot \int_{\Phi} \mu^\pm/\mu^-\mu^+ dx \cdot f_b(x)}, \quad N_{\mu^\pm/\mu^-\mu^+\leftarrow D}^{(\Phi)=B/R \cdot \int_{\Phi} \mu^\pm/\mu^-\mu^+ dx \cdot f_c(x)}$$

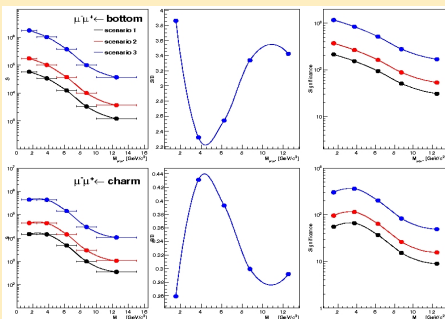
$\Phi = \phi^{\mu^\pm/\mu^-\mu^+}$  is the special kinematic phase space  $\mu^\pm/\mu^-\mu^+$ .

# Extraction of the $N^{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(\phi^{\mu^\pm/\mu^-\mu^+})$

## Data Extrapolation for single muons



## Data Extrapolation for $\mu^-\mu^+$



## Three kinds of Data Taking Scenarios

- scenario one,  $L = 10^{30} \text{cm}^{-2} \text{s}^{-1}$ ,  $t = 10^6 \text{s}$ ,  $N_{pp} = 7 \times 10^{10}$
- scenario two,  $L = 3 \times 10^{30} \text{cm}^{-2} \text{s}^{-1}$ ,  $t = 10^6 \text{s}$ ,  $N_{pp} = 2.1 \times 10^{11}$
- scenario three,  $L = 3 \times 10^{30} \text{cm}^{-2} \text{s}^{-1}$ ,  $t = 10^7 \text{s}$ ,  $N_{pp} = 2.1 \times 10^{12}$

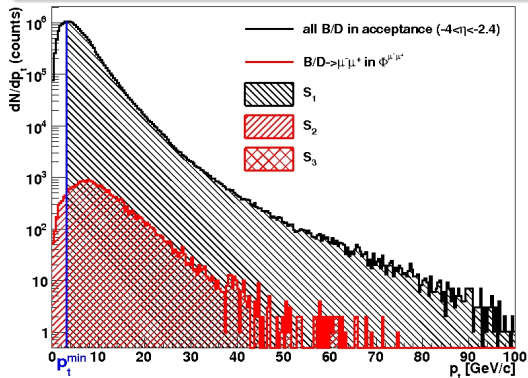
Large yield and significance expected even with scenario one.



# Calculation of $F_{MC}^{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(p_t^{min}, \Phi^{\mu^\pm/\mu^-\mu^+})$

$$F_{MC}^{B/D} = F_{\mu^\pm/\mu^-\mu^+\leftarrow B/D}(\Phi^{\mu^\pm/\mu^-\mu^+}, p_t^{min}) = \frac{\sigma^{B/D}(p_t > p_t^{min})}{\sigma^{B/D}(\Phi^{\mu^\pm/\mu^-\mu^+})} = \frac{N^{B/D}(p_t > p_t^{min})}{N^{B/D}(\Phi^{\mu^\pm/\mu^-\mu^+})}$$

$$N^{B/D}(\Phi^{\mu^-\mu^+}) = N^{H\bar{H}\rightarrow\mu^-\mu^+}(\Phi^{\mu^-\mu^+}) + N^{H\rightarrow\mu^-\mu^+}(\Phi^{\mu^-\mu^+})$$



①  $N^{B/D}(p_t > p_t^{min}) = S_1$

②  $N^{B/D}(\Phi^{\mu^-\mu^+}) = S_2$

③  $p_t^{min}$  is determined by setting  $S_3/S_2 \approx 90\%$ , which is used to minimize the model dependence of the spectrum shape.

# Systematic Error Estimation

## Method for Single muons

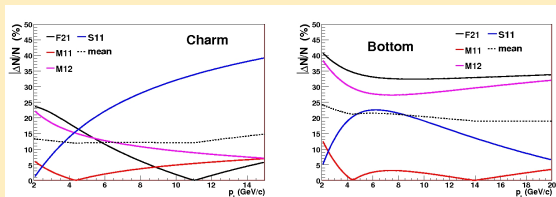
- 1 Choosing different perturbative scales and quark masses to generate new kinematics distributions for  $B$  &  $D$  hadrons. ★[hep-ph/0601164]
- 2 Using different fragmentation functions within the hadronization process. [★]
- 3 Re-fit the new  $\mu^\pm p_t$  spectrum, which from heavy hadron decay, with the same fitting formula.
- 4  $R$  fixed within 60%, only combination with  $\chi^2/NDF < 100$ .

## Method for correlated $\mu^-\mu^+$

- 1 Shape functions ( $f_{c/b}$ ) are changed by adjusting their fitting parameters handly.
- 2 Re-fit the total  $M_{\mu^-\mu^+}$  with the new fitting functions.
- 3 The shapes which lead  $R$  changing beyond 60% are discarded.

# Systematic Error Estimation

## Mean value of sys. error for single muons



$$1 \quad \frac{\Delta N}{N} = \frac{|N_{\text{sys.}} - N_{\text{perf.}}|}{N_{\text{perf.}}}$$

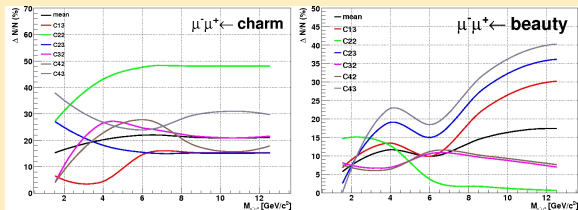
2 Syst. errors are almost independent with  $p_t$  of  $\mu^\pm$  and  $M_{\mu^-\mu^+}$  of correlated  $\mu^-\mu^+$ .

3 single muon case,  
syst. error  $\sim 15\%$  for charm  
 $\sim 20\%$  for beauty

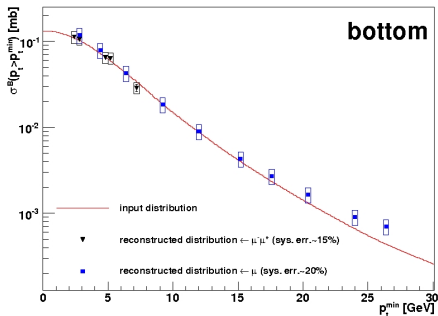
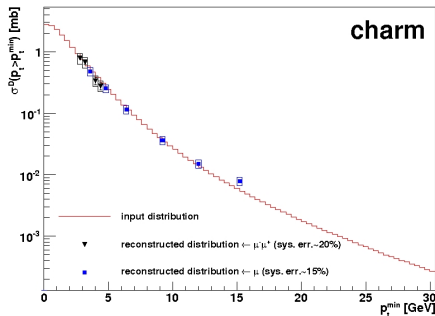
4 correlated  $\mu^-\mu^+$  case,  
syst. error  $\sim 20\%$  for charm  
 $\sim 15\%$  for beauty

5 Our measurement should allow to constrain models.

## Mean value of sys. error for correlated $\mu^-\mu^+$



# Results



- 1 Input distributions are well reconstructed by our method.
- 2 Nice agreement between single muon and dimuon channels.
- 3 Statistics errors are negligible even in the so-called scenario one.
- 4 Systematics errors are 20% for B and 15% for D in the single muon channel and, 15% for B and 20% for D in the dimuon channel.
- 5 82% (17%) of  $\sigma^B$  ( $\sigma^D$ ) are reconstructed via single muons and, 84% (33%) of  $\sigma^B$  ( $\sigma^D$ ) are reconstructed via dimuons.
- 6 Our measurements allow to cover the  $p_t$  range from 2 GeV to 25 GeV (3 GeV to 15 GeV) for bottom (charm) component.

# Conclusion & Outlooks

## Conclusion

- ① The measurement of the  $B$  &  $D$  hadron cross sections in  $pp$  collisions at the LHC is an important benchmark for,
  - NLO pQCD calculation,
  - $pA$  and  $AA$  collisions.
- ② The  $B$  ( $D$ ) hadron cross section can be extracted for  $2$  (3)  $\text{GeV} < p_t^{\text{min}} < 25$  (15)  $\text{GeV}$ .
- ③ Statistical errors are negligible and systematics errors are about 15% and 20%, depending on the physics channel.
- ④ Our results are strongly model dependent.

## Outlooks

- ① Realistic background ( $\pi$  &  $K$ ) subtraction, an other source of error on the muon yield in particular at low  $p_t$ , work progress.
- ② Measurement of the  $B$  &  $D$  hadron cross section in  $pp$  collisions at 10 TeV.

# Thanks!